A Compositional Approach to Bidirectional Model Transformation

ICSE'09 New Ideas and Emerging Results

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Introduction

In bidirectional model transformation, modifications propagate from source models to target models as well as from target to source. Although bidirectional model transformation plays an important role in model-driven software development, lack of clear semantics of composition is one of open problems.

Proposed Approach and Results

Compositional graph transformation language UnQL

- is extended for bidirectional model transformation by
 - Editing primitives (replace, delete, extend) [1]
 Bidirectional interpretation of each graph construint
 - Bidirectional interpretation of each graph constructors and combinators [2]

Models as Edge-labeled Graphs

Models are internally represented by edge-labeled graphs.



Class diagram: an example of models to be transformed

Model Transformations in UnQL+

Transformation to prefix every name of the class by "class_" can be expressed in UnQL+ as

 $\label{eq:states} \end{tabular} \label{eq:states} \end{tabular} \label{eq:states} \end{tabular} \e$

Bidirectional Evaluator and its property

Every UnQL+ program is translated[1] into UnCAL in which fixed number of constructors and combinators are combined to form a bigger transformation.

 e_1

Formal semantics: union (\cup) example

Two transformations are executed componentwise and combined.

$$\frac{\longrightarrow g_1 \quad \rho \longrightarrow g_2 \quad g_1 \cup g_2 \Rightarrow g_1}{e_1 \cup e_2}$$

 e_2

No change on the target g should give no change on the source (environment) ρ .

$$\frac{\rho \xrightarrow{e} g}{\rho \xleftarrow{e} g} \quad [\text{GetPut}]$$

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A compositional Framework for Bidirectional Model Transformation



Internal representation of the class diagram that is transformed by our system

 $E ::= \{\} | \{L : E\} | E \cup E$ | &x := E | &y | () | E \oplus E | E @ E | cycle(E) | Var | let Var = E in E | if B then E else E | rec(λ (LabelVar,Var).E)(E)

- (* tree constructors *)
- (* graph constructors *)
- (* graph with cycles *)
- (* variables *)
- (* sequential composition *)
- (* conditional *)
- (* structural recursion *)

Syntax of UnCAL graph algebra

Modified target (g) are decomposed and the resultant components are fed to backward transformation.

$$\frac{\rho' \Rightarrow_{\rho} (g_1', g_2') \quad \rho_1' \stackrel{e_1}{\underset{\rho}{\leftarrow} \rho} g_1' \quad \rho_2' \stackrel{e_2}{\underset{\rho}{\leftarrow} \rho} g_2'}{\rho_1' \uplus_{\rho} \rho_2'} (BWD)$$

 $\rho' \xrightarrow{e} q'$

Another forward transformation from the modified source
$$\rho$$
' produces g ' again.

$$\frac{\rho' \frac{e}{\rho} g'}{\frac{1}{\rho}} \quad [PutGet]$$



- Demonstrate that functional approach is helpful to give bidirectional semantics in a formal and concise way

 Demonstration available at http://www.biglab.org/
- Compare/combine with rule based approach
- S. Hidaka, Z. Hu, H. Kato, K. Nakano, Towards Compositional Approach to Model Transformation for Software Development, SAC 2009: 468-475, Mar. 2009.
 S. Hidaka, Z. Hu, H. Kato, and K. Nakano. An Algebraic approach to bidirectional model transformations. Technical Report GRACE-TR08-02, GRACE Center, National Institute of Informatics, Sept. 2008.

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